# Studying the Performance of Double Opposite Intake Canals under Different Flow Conditions 

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Article History: Received: 03.01.2023
Revised: 20.01.2023
Accepted: 23.02.2023


#### Abstract

: This study manages the flow at the end of irrigation canals which supply the water from the agricultural open drains at high water demands for the irrigation process and controls the canal flow at low water demands. An intermediate regulator is utilized to control flow directions. Hence, the flow fluctuates and may frequently reverse Submerged hydraulic jumps have been created in a suddenly expanding stilling basin with symmetric double baffles that were investigated using both a theoretical and an experimental method in this research. The momentum and continuity formulas were used to calculate the submerged hydraulic jump depth ratio and relative energy loss theoretical equations. The flume used in the investigation was 16 m long, 65.5 cm deep, and 66 cm wide. Only one operational gate controls the flow via the regulator. The numerous changes in water directions require doubling the bed protection symmetrically. The impact of several variables, including the inlet Froude number, baffle locations, and baffle shapes, was examined. The average percentage discrepancy between theoretical and experimental findings for the depth ratio of a submerged hydraulic jump was $11.75 \%$. From the experimental results, the square baffles (i.e., width equal to one-third of the stilling basin width at mid-distance between the double gates) provide the best jump length and energy dissipation results. Finally, these baffles increase the relative energy loss by $22 \%$ while decreasing the relative jump length by $15 \%$.


Keywords: Submerged jump- Baffles- Regulators- Stilling basin- Energy dissipation.

## Background

Potential energy changes to high kinetic energy as water flows below the gate. According to (Gehlot et al) [1], this high kinetic energy results in scour problems that might cause the hydraulic structure to collapse. The most common method for dissipating extra energy is the hydraulic jump. (Hager) [12] stated that hydraulic jumps may occur in prismatic or non-prismatic channels and can be forced or not, by safe and economical design. The position and beginning depth of the jump will determine whether it is free or submerged. (Shenglong et al.) [6] studied the features of a free hydraulic
jump affected by a corrugated river bed numerically. This basin form has been found to dissipate energy $10 \%$ more than a smooth basin. The submerged jump in rectangular channels was investigated numerically by (Long et al.) [2] and (Ma et al.) [5]. The mean velocity profile and turbulence structure of the submerged jump were all predicted by the traditional $\mathrm{k}-\varepsilon$ turbulence model. [3] (Rao et al.) studied the characteristics of the submerged jump. For increasing submergence ratios, the energy loss in the submerged jump is less than that in the comparable free jump. (Ohtsu et al) [7] investi-
gated the change from rapid to stable flow for a submerged jump below an expanding outlet. They studied the hydraulic conditions needed for the generation of a symmetric submerged jump, and an equation for the transition between symmetric and asymmetric flows was produced. (Lopardo et al) [8] investigated the pressure variation in the SHJ basin. The experimental study allows for the computation of the coefficient of pressure amplitude of fluctuation ( $\mathrm{C}^{\prime} \mathrm{p}$ ) value for various $\mathrm{Fn}_{1}$ and S values. The effect of a negative step and an end sill in a radial stilling basin was examined by (Negm, et al.) [9]. It is found that the end sill in a radial basin supported by a negative step reduces both depth and length ratios a little while having a slightly rising influence on the energy loss ratio. Submerged jump downstream barrage experiments were done both with and without a deflector by (Abdel-Aal [10]. It is discovered that, for various scenarios of the regulator vent operating systems, utilizing the current deflector decreases the value of the relative depth of SHJ by $8 \%$, decreases the value of the relative jump length by $11 \%$, and increases $\Delta \mathrm{E} / \mathrm{E}_{1}$ by $8 \%$. (Hana, et al.) [11] studied the hydraulic jump's characteristics upstream of the sluice gate. It was discovered that the Webr number increases and Fn1 decreases when gate opening increases. Additionally, when $\mathrm{Fn}_{1}$ rises and the Weber number decreases, there is an increase in energy loss. (Jesudhas, et al.) [13] studied a submerged jump's shear flow. The examination of the instantaneous flow characteristics reveals periodic vortex shedding to be present. A brief history of the hydraulic jump and its experimental and numerical studies were illustrated by (De Padova et al.) [29].

The stilling basin is supported by intermediate baffles to localize the hydraulic jump and dissipate more energy.

Factors such as baffle shapes and baffle locations. Many studies dealing with the effect of baffles on jump characteristics are discussed in (Rajaratnam et al.) [14], (Habibzadeh et al.) [16], (Moussa et al.) [20], and (Negm et al) [25]. The impact of the vertical baffle on the hydraulic jump and various types of jumps due to
the baffle could be reviewed by (Hager et al.) [15]. (Habibzadeh et al.) [16] discovered that the efficiency of energy dissipation of submerged jumps utilizing baffles is initially larger compared to the efficiency of free jumps, but decreases as the tailwater level increases. The way the baffle blocks performed in SHJ was investigated by (Habibzadeh, et al.) [17]. The flow pattern was revealed to be either the reattaching all jet pattern, which occurs as submergence increases, or the deflecting surfaces jet pattern, which happens as submergence decreases. It was discovered that the deflected surface jet regime dissipated energy more effectively. (Y. Dilrooban) [18] examines a roughness element model in which the submergence ratio, $\mathrm{Fn}_{1}$, roughness height, and roughness density all impact the features of SHJ. (Velioglu et al) [19] to shorten the basin's length and localize the jump location, a new structure made up of rectangular bars was examined. This model produced positive analytical and experimental results. (Moussa et al.) [20] discovered that the presence of a sill decreases the scour depth, shortens the submerged jump, and increases energy dissipation. (Al-Mansori et al) [21] examined the impact of the seven-block design on the dimensions of the stilling basin. It was discovered that the new blocks disperse energy $9.31 \%$ more than the slandered concrete baffle. Suzan et al [32] demonstrated that a screen length ratio of 0.25 was the optimal location for the screen in the contracted area. The depth and length ratio of hydraulic jump decreased by 35 percent and 40 percent, respectively, for $\mathrm{Fn}_{1}=4.50$ and $S=2.50$, however, $\Delta \mathrm{E} / \mathrm{E}_{1}$ increased by 30 percent. ((Negm et al) [33] the two irregularly distributed side sills are superior to the two symmetrically distributed side sills at 0.35 numerous times the length of the basin at 0.25 and 0.50 , respectively. At 0.5 times the basin length, these two symmetric sills outperform one asymmetric side sill. (Negm et al) [36] The ideal position of the curved deflector for lowering the scour dimensions for a symmetric pattern and reducing velocity vectors was discovered to be 0.06 L from the rapid expansion. At this point, the relative velocity values close to the bed at the stilling basin's end are minimal,
resulting in minimum values for the relative maximum scour depth. (Herbrand et al.) [22] state that the only option for ensuring the necessary energy dissipation is lateral expansion when the tailwater level is insufficient to provide a conventional jump with the assistance of appurtenances and if excavating the basin floor is not possible due to economic considerations. (Rajaratnam et al.) [14] carried out the first investigations on abruptly expanding channels. The hydraulic jump in the nonprismatic stilling basin was investigated by (Hager et al.) [22], (Smith et al.) [23], and (Bremen et al.) [24]. (Negm, et al) [25] investigated the impact of baffle configuration on the scour depth of a rapidly enlarged stilling basin. (Daneshfaraz et al.) [26] The influence of expansion and contraction on hydraulic jump characteristics, instantaneous vertical velocities, and energy dissipation was investigated. (LUO et al.) [27] The effect of suddenly enlarged channels on the dispersion of energy in the presence of a hydraulic jump was investigated using an experimental and analytical statistical solution that yielded positive findings. (Sharoonizadeh
et al.) [30] The impact of submerged counterflow jets in a suddenly enlarged stilling basin on the spatial hydraulic jump was investigated. It was found that the water jets force the jump and control the flow uniformity. (Daneshfaraz et al) [31] The influence of bat-shaped parts on a sudden expansion canal was examined. The sequent depth and S-jump length in an uneven bed decreased by $22 \%$ and $9-13 \%$, respectively, as compared to a smooth bed. (Hasani et al) [32] the effect of the rough base on S-jump pressure changes in a rapidly enlarged stilling basin was examined. It was discovered that the creation of lateral vortices causes a rise in energy loss and a reduction in the severity of variations in pressure.

The above review demonstrates that an analysis of the substantial publication on the issue of reverse flow via an intermediate regulator indicates that there is no research published. As a result, the current work attempts to concentrate on the phenomena depicted in Fig (2).


Fig 1. a,b Sketch of the experimental model, regular flow and reverse flow directions.


Fig 2. Different tested baffle shapes

## 1. Methods

A 16 m long, 65.5 cm deep, and 66 cm wide recirculating flume was used for 80 laboratory
experiments. The model was constructed out of clear Perspex to allow for visual inspection. The contracted
part is 48 cm wide and 160 cm long. The stilling basin abruptly expands to a width of 66 cm . The model's bed is stiff. The opposing gates are 80 cm apart. Each intake gate has a rapid expansion of 40 cm . When the flow reverses, the basin operates with a single gate, and the non-working gate does not affect the flow conditions. Two rows of lateral central baffles with a height of 2.5 cm and a width of 16 cm were fastened to the basin bed at $(20,30,40) \mathrm{cm}$ from each intake gate, as illustrated in Fig (3). To measure discharge, a pre-calibrated rectangular weir was employed. To determine the depth of the water, a point gauge is fitted. The length of SHJ is measured using a measuring tape attached to the flume's top. The submerged jump's length is measured downstream of the roller length when the flow depth is nearly constant. To manage the submergence ratio (S), a tailgate is inserted at the channel's terminus. The depth of supercritical flow $\left(\mathrm{Y}_{1}\right)$, depth of subcritical flow $\left(\mathrm{Y}_{\mathrm{t}}\right)$, backup water depth $\left(\mathrm{Y}_{3}\right)$, length of jump $(\mathrm{Lj})$, and flow rate $(\mathrm{Q})$ were all measured in a steady state. Table 1 illustrates the experimental data range.

Table.1. Experimental parameters

| Symbol | Definition | Value |
| :--- | :--- | :--- |
| $\mathrm{Q}(\mathrm{lit} / \mathrm{s})$ | Discharge | $17.17-$ <br> 59.25 |
| $\mathrm{Fn}_{1}$ | Inlet Froude number | $1.79-8.3$ |
| S | Submergence ratio | 5 |
| E | Expansion ratio | 1.4 |
| $\mathrm{G}(\mathrm{cm})$ | Gate opening | $3-4-5-6-7$ |
| $\mathrm{~d}(\mathrm{~cm})$ | Symmetrical baffle <br> position from each <br> intake gate | $20-30-40$ |


| Baffle con- <br> figurations | Square, semicircular, triangular, <br> trapezoidal, and right trapezoidal as <br> shown in Fig1. |
| :--- | :--- |

### 3.1. Results

### 3.1.1. Effect of baffle shape <br> 3.1.2. The relative depth of the jump

The relationships between the relative depth of SHJ and $\mathrm{Fn}_{1}$ are plotted for five different baffle shapes at three relative baffle positions ( $0.25 \mathrm{~L}, 0.38 \mathrm{~L}$, and 0.5 L ), respectively, as shown in Figs. 3a, 3b, and 3c. All figures are plotted with a case of no baffle as a comparison case. These figures show a similar trend. All cases show that the relative depth of SHJ increases as $\mathrm{Fn}_{1}$ increases at a constant $\mathrm{S} . \mathrm{Y}_{\mathrm{t}} / \mathrm{Y}_{1}$ decreases as the front face angle closes or is equal to $90^{\circ}$ for a constant value of $\mathrm{Fn}_{1}$ for all baffle positions. $\mathrm{Y}_{\mathrm{t}} / \mathrm{Y}_{1}$ of (square, right trapezoidal, trapezoidal, triangular, and semicircle) baffles at relative position (0.5L) decreased by ( $27 \%$, $23 \%, 22 \%, 16 \%$, and $12 \%$, respectively) compared with no baffle case at $\mathrm{Fn}_{1}$ of 5 .
(Negm et al.) [9] A smooth case curve is plotted with the presented study. Negm et al.'s submergence ratio (S $=5)$ results are remarkably above this study's results. This is because of the difference in the setup of the model in the two cases. Negm et al. carried out the data analysis in a gradually expanding stilling basin, while the present study was conducted in a suddenly expanding basin, which gives the lowest values of $\mathrm{Y}_{\mathrm{t}} / \mathrm{Y}_{1}$ of SHJ. Moreover, the expansion ratio of the present study $(\mathrm{e}=1.4)$ is less than the used expansion ratio $(\mathrm{e}=1.67)$ of Negm.

(b)

(c)

Fig 3. Relationship between $\mathrm{Y}_{\mathrm{t}} / \mathrm{Y}_{1}$ and $\mathrm{Fn}_{1}$ at a $0.25 \mathrm{~L} \mathbf{b} 0.38 \mathrm{~L} \mathbf{C} 0.5 \mathrm{~L}$ for different baffle shapes.

### 3.1.3. Relative jump length:

The relation between $\mathrm{Lj} / \mathrm{Y}_{1}$ and $\mathrm{Fn}_{1}$ is illustrated in Figs. $4 \mathrm{a}, 4 \mathrm{~b}$, and 4 c . It is shown that $\mathrm{Lj} / \mathrm{Y}_{1}$ increases when $\mathrm{Fn}_{1}$ increases. At $\mathrm{Fn}_{1}$ equals $5, \mathrm{Lj} / \mathrm{Y}_{1}$ of (square, right trapezoidal, trapezoidal, triangular, and semicir-
cle) baffles decreased by $(22 \%, 20 \%, 16 \%, 14 \%$, and $11 \%$ ), respectively, compared with no baffle case at relative position ( 0.5 L ).


Fig 4. Relationship between Lj and $\mathrm{Fn}_{1}$ at a 0.25 L b 038L C 0.5 L for different baffle shapes.

### 3.1.3. Relative energy loss:

Figs. 5a, 5b, and 5c) show the relationship between $\Delta \mathrm{E} / \mathrm{E}_{1}$ and $\mathrm{Fn}_{1}$ for the tested baffle shapes at different locations. It is found that all cases show that $\Delta \mathrm{E} / \mathrm{E}_{1}$ increases as $\mathrm{Fn}_{1}$ increases. At a constant $\mathrm{Fn}_{1}$, the baffles with a vertical upstream face give the best baffle per-
formance from $\Delta \mathrm{E} / \mathrm{E}_{1}$ point of view. While the case of no baffle shows the lowest values of $\Delta \mathrm{E} / \mathrm{E}_{1} . \Delta \mathrm{E} / \mathrm{E}_{1}$ of (square, right trapezoidal, trapezoidal, triangular, and semicircle) baffles at a relative position equal to 0.5 L and $\mathrm{Fn}_{1}$ of 5 increased by $(15 \%, 10 \%, 9 \%, 7 \%$, and $5 \%$, respectively) compared with a no baffle case.

(b)
(a)



Fig 5. Relationship between $\Delta \mathrm{E} / \mathrm{E}_{1}$ and $\mathrm{Fn}_{1}$ at a 0.25 L, b 0.38 L , and C 0.5 L for different baffle shapes.

### 3.2. Effect of relative baffle positions

### 3.2.1. The relative depth of $\mathbf{S H J}$

Choosing the optimal relative placement of baffles, $\mathrm{Y}_{\mathrm{t}} / \mathrm{Y}_{1}$ of SHJ of all the same cases of baffles (square-right-trapezoidal-trapezoidal-triangle-semicircle) is plotted against $\mathrm{Fn}_{1}$ for different relative baffle posi-
tions ( $0.25 \mathrm{~L}-0.38 \mathrm{~L}$ and 0.5 L ) as shown in Figs. 6a, 6b, $6 \mathrm{c}, 6 \mathrm{~d}$, and 6 e . From these figures, the relative position $(0.5 \mathrm{~L})$ gives the lowest values of the $\mathrm{Y}_{\mathrm{t}} / \mathrm{Y}_{1}$ for all baffle shapes. From the experimental study, it is found that the square baffle at relative positions $(0.25 \mathrm{~L}, 0.38$ L , and 0.5 L ) decreases the relative depth by $17 \%$, $23 \%$, and $27 \%$, respectively, at a constant $\mathrm{Fn}_{1}$ of 5 .


Fig 6. Relationship between $\mathrm{Y}_{t} / \mathrm{Y}_{1}$ and $\mathrm{Fn}_{1}$ for $\mathbf{a}$ square $\mathbf{b}$ semi-circle $\mathbf{C}$ triangle $\mathbf{d}$ right trapezoidal e trapezoidal baffles at different baffle positions.

### 3.2.2. Relative jump length:

Figs. 7a, 7b, 7c, 7d, and 7e show the positive relationship between Lj and the $\mathrm{Fn}_{1}$ for square, semi-circle, triangle, right trapezoidal, and trapezoidal baffles, respectively, at various baffle positions. It was found that baffles located in the middle of the basin gave the
smallest values of relative length of jump for different flow conditions. From the experimental study, it is found that the square baffle at relative positions ( 0.25 L , 0.38 L , and 0.5 L ) decreases the relative jump length by $9 \%, 12 \%$, and $15 \%$, respectively, at a constant $\mathrm{Fn}_{1}$ of 5 .


Fig 7. Relationship between $\mathrm{Lj} / \mathrm{Y}_{1}$ and $\mathrm{Fn}_{1}$ for $\mathbf{a}$ square $\mathbf{b}$ semi-circle $\mathbf{C}$ triangle $\mathbf{d}$ right trapezoidal $\mathbf{e}$ trapezoidal baffles at different baffle positions.

### 3.2.3. Relative energy loss:

Figs. 8a, 8b, 8c, 8d, and 8e illustrate the relationship between $\Delta \mathrm{E} / \mathrm{E}_{1}$ and $\mathrm{Fn}_{1}$ at the beginning of the submerged hydraulic jump. It indicates that the presence of
the baffles at any location increases $\Delta \mathrm{E} / \mathrm{E}_{1}$ compared to the smooth case. From the experimental study, it is found that the square baffle at relative positions ( 0.25 L , 0.38 L , and 0.5 L ) increases $\Delta \mathrm{E} / \mathrm{E}_{1}$ by $(13 \%, 19 \%$, and $22 \%$ ), respectively, at a constant $\mathrm{Fn}_{1}$ of 5 .


Fig 8. Relationship between $\Delta \mathrm{E} / \mathrm{E}_{1}$ and $\mathrm{Fn}_{1}$ for a square b semi-circle $\mathbf{C}$ triangle d right trapezoidal $\mathbf{e}$ trapezoidal baffles at different baffle positions.

## 4. Discussion

### 4.1. Effect of baffle shape

### 4.1.1. Relative jump length

$\mathrm{Lj} / \mathrm{Y}_{1}$ increases when $\mathrm{Fn}_{1}$ increases. This is because, at higher values of $\mathrm{Fn}_{1}$, the jump turns out to be strong, so a larger stilling basin is required. Furthermore, at a specified $\mathrm{Fn}_{1}$, the case of no baffle gives the longest stilling basin length. While the baffles with a vertical upstream face give the smallest values of the relative depth of SHJ due to the effect of stronger eddies and
turbulence formed at the upstream sharp face of the square baffle.

### 4.1.2. Relative jump depth

$\mathrm{Y}_{4} / \mathrm{Y}_{1}$ increase with the increase of $\mathrm{Fn}_{1}$ because higher $\mathrm{Fn}_{1}$ means smaller $\mathrm{Y}_{1}$ (at the same Q ) which leads to higher $\left(\mathrm{Y}_{\mathrm{t}} / \mathrm{Y}_{1}\right)$.

### 4.2. Relative baffle position

4.2.1. Relative jump length

It is thought that the decrease in the subcritical depth of the jump results in the required short length to reach the jump stability. This explained why the position ( 0.5 L ) is the best location for all baffle shapes, which gives a minimum tailwater depth and a minimum length of jump.

### 4.2.2. Relative jump depth

In reality, the interaction between the baffles and the incoming flow and the difference in pressure at the two sides of the baffles have a great effect on the performance of the hydraulic jump. As the flow passes downstream of the gate within the roller zone, the submerged jump's mixture of forward and reverse flow rises. This led to the negative velocity (reverse flow) increasing as the flow close to the gate, but when the flow grew farther from the gate, the positive velocity (ahead flow) decreased. Hence, the main velocity decreased at the farthest baffle position. While the difference in pressure at the two sides of the baffles increased as the baffle positions were far away from the gate. The balance of interaction behavior between the effects of pressure and impact (function of velocity and area of the baffle) of baffles achieved at the baffle location equals 0.5 L . In Bremen et al. [34], it was found that when one central lateral sill was located too close to the expansion part, the jump was over forced, so a standing wave and plunging flow were observed. The best location of the central lateral single sill within the experimental condition of this study is at a relative sill position $(\mathrm{d} / \mathrm{L}=0.2$ to 0.3 ) (Negm et al.) [35]. Hasani et al. [32] examined a single perforated lateral sill with a width equal to the contracted basin width according to basin width. It was found that the best relative sill position ( $\mathrm{d} / \mathrm{L}$ ) was 0.25 . While this present study examines two adjacent central baffles with a relative width ( $\mathrm{d} / \mathrm{L}$ ) of 0.33 in the contracted part, the best baffle location is at a relative distance of 0.5 L .

### 4.2.3. Relative energy loss

The impact between the inlet flow and the baffles generates eddies, water boiling, and excessive turbulence, which in turn transform the high kinetic energy to high potential energy. The mean objective of the stilling basin is to preserve the hydraulic jump with a short length and acceptable subcritical depth with high energy dissipation. These requirements are met when the baffles are located in the middle of the stilling basin.

## 5. Dimension analysis:

Dimensional analysis was applied to define the dimen-
sionless parameters $\left(\frac{\mathbf{Y}_{4}}{\mathbf{Y}_{1}}, \frac{\mathbf{4}}{\mathbf{Y}_{1}}, \frac{\Delta \mathbf{E}}{\mathbf{E}_{1}}\right)$ for SHJ as shown in
Fig.2. Using the principles of dimensional analysis, equation 1 may be written in the form:

$$
\begin{align*}
& \text { the }\left(\frac{Y_{1}}{Y_{1}}, \frac{\mathrm{Lj}}{Y_{1}}, \frac{\Delta E}{E_{1}}\right)= \\
& \mathrm{f}\left(\mathrm{~d}_{\mathrm{L}}, \mathrm{Fn}_{1}, \mathrm{n}\right) \tag{1}
\end{align*}
$$

## 6. Theoretical study:

As shown in equation (2), the 1-D momentum and continuity equations are both employed to develop a theoretical equation for determining the relative depth of SHJ generated in a suddenly expanding stilling basin with double intermediate baffles. As illustrated in Fig 9, the control volume is defined by the jump start and jump end downstream of the expansion. If the jump end is before the expanding portion, the control volume ends just before the abrupt section. The following hypotheses explain the current analysis: (a) a steady flow, and (b) an incompressible liquid. (c) the channel is horizontal with smooth edges; (d) hydrostatic pressure distribution at the start, ends, and baffles of the jump; (e) uniform velocity distribution at the control volume's beginning and ends, (f) the effects of air infiltration and turbulence are ignored, and (g) the baffles' border is smooth. The pressures at the control volume are shown in Table (2).


Fig 9. Definition sketch showing the momentum force.

Table.2. pressure forces at the control volume 1-2

| Symbols | Definition | Control volume 1-2 |
| :--- | :--- | :--- |
| $\mathrm{P}_{1}$ | Upstream hydrostatic pressure force on the first baffle | $\frac{\mathrm{h}_{\mathrm{b}}}{2}\left[\gamma \mathrm{~d}_{1}+\gamma\left(\mathrm{d}_{1}+\mathrm{h}_{\mathrm{b}}\right)\right] * \mathrm{~W}_{\mathrm{b}}$ |
| $\mathrm{P}_{2}$ | Downstream hydrostatic pressure force on the first baffle | $\frac{\mathrm{h}_{\mathrm{b}}}{2}\left[\gamma \mathrm{~d}_{2}+\gamma\left(\mathrm{d}_{2}+\mathrm{h}_{\mathrm{b}}\right)\right] * \mathrm{~W}_{\mathrm{b}}$ |
| $\mathrm{P}_{3}$ | hydrostatic pressure force at the vena contracted | $0.5 \gamma^{*} \mathrm{Y}_{3}^{2} * \mathrm{~b}$ |
| $\mathrm{P}_{4}$ | hydrostatic pressure force at the end of the control volume | $0.5 \gamma * \mathrm{Y}_{4}^{2} * \mathrm{~B}$ |
| $\mathrm{P}_{5}$ | Upstream hydrostatic pressure force on the second baffle | $\frac{\mathrm{h}_{\mathrm{b}}}{2}\left[\gamma \mathrm{~d}_{5}+\gamma\left(\mathrm{d}_{5}+\mathrm{h}_{\mathrm{b}}\right)\right] * \mathrm{~W}_{\mathrm{b}}$ |
| $\mathrm{P}_{6}$ | Downstream hydrostatic pressure force on the second baffle | $\frac{\mathrm{h}_{\mathrm{b}}}{2}\left[\gamma \mathrm{~d}_{6}+\gamma\left(\mathrm{d}_{6}+\mathrm{h}_{\mathrm{b}}\right)\right] * \mathrm{~W}_{\mathrm{b}}$ |
| Ps | side pressure force | $0.5 \gamma \mathrm{~d}_{\mathrm{a}}^{2} *(\mathrm{~B}-\mathrm{b})$ |
| $\mathrm{P}_{\text {net }}$ | The hydrostatic net force on the baffles | $\mathrm{P}_{2}+\mathrm{P}_{6}-\mathrm{P}_{1}-\mathrm{P}_{5}$ |

Based on the above, the momentum equation could be written as in equation (2) as follow:
$\mathrm{P}_{3}-\mathrm{P}_{\text {net }}-\mathrm{P}_{\mathrm{s}}-\mathrm{P}_{4}={ }_{\mathrm{g}}^{\mathrm{Y}} \mathrm{Q}\left(\mathrm{V}_{2}-\mathrm{V}_{1}\right)$

By substituting in eq (2):
$0.5 \gamma * Y_{3}^{2} * b-\frac{h_{E}}{2}\left[\gamma d_{1}+\gamma\left(d_{1}+h\right)\right]{ }^{*} W_{b}+\frac{h_{E}}{2}\left[\gamma d_{2}+\gamma\left(d_{2}+h\right)\right]^{*} W_{b}-\gamma d_{a}^{2} *(B-b)-0.5 \gamma^{*} Y_{4}^{2} * B=\frac{{ }_{G}}{G} Q\left[\frac{1}{\left(Y_{4} * B\right)}-\frac{1}{\left(\gamma_{1} \sim b\right)}\right]$
(3)

Dividing eq (3) by ( $2 \gamma \mathrm{y}^{2} / \mathrm{b}$ ) and simplify to obtain:
$S=\sqrt{2 W_{b D} h_{b D} \Sigma d_{\text {netD }}+(B-1) d_{s D}^{2}+Y_{D}^{2} e+2 F \eta_{1}^{2}\left(\frac{1}{\theta Y_{0}}-1\right)}$
In which, $\mathrm{e}=\frac{\mathrm{b}}{\mathrm{F}}, \mathrm{Y}_{\mathrm{o}}=\frac{Y_{4}}{Y_{1}}, \mathrm{~h}_{\mathrm{bD}}=\frac{\mathrm{h}_{\mathrm{b}}}{\mathrm{b}}, \mathrm{d}_{\mathrm{aD}}=\frac{\mathrm{d}_{\mathrm{s}}}{Y_{1}}, W_{\mathrm{bD}}=\frac{W_{\mathrm{b}}}{Y_{1}}$ and $\Sigma \mathrm{d}_{\text {netD }}=\frac{\left[d_{1}-d_{2}\right]}{\mathrm{y}_{1}}$

By simplifying equation (4) to get $\mathrm{Fn}_{1}$ eq (5)
$\mathrm{Fn}_{1}=\sqrt{\frac{0.5\left(s^{2}-2 W_{60} k_{E 0} \sum d_{\mathrm{nE} L 0}+(\theta-1) d_{s 0}^{2}-Y_{0}^{2} \theta\right)}{\frac{1}{\mathrm{v} \gamma_{\mathrm{a}}}-1}}$
Once the flow is reversed due to different flow conditions, the theoretical equation will be the same.


Fig 10. a Comparison of experimental and Theoretical $\mathrm{Fn}_{1}$

The theoretical values of $\mathrm{Fn}_{1}$ obtained by solving equation (5) for the baffles at different positions are plotted against the corresponding experimental values as illustrated in Fig (10a). Figure (10a) illustrates a little asymmetric distribution of data around the line of equality. The percentage error is $\pm 14.87 \%$. Almost all of the results lie between lines of ( $\pm 15 \%$ ) percentage errors at $\mathrm{Fn}_{1}>3$. While at $\mathrm{Fn}_{1}<3$ almost all the data lies above and below lines of ( $\pm 15 \%$ ) percentage errors. This is because the submerged jump flow reduces blending between both forward and backward flow at high submergence ratios (Ragaratnam1965) [4]. As a result, the asymmetric flow pattern downstream of the abrupt expansion recorded significant changes in side water depths. As a result, the pressure linear distribution theories are influenced by the high submergence ratio and asymmetric flow patterns. As a result, the downstream water depth at low $\mathrm{Fn}_{1}$ recorded higher values. Besides, the baffle shape effect raises the water depth according to the impact between the inlet flow
and the upstream baffles. This causes a fluctuation in water depths according to the incoming flow condition and the face angle of the baffles.

### 6.1. The Relative Energy loss

By applying the energy equation between $\sec$ (1) and sec (2), the energy loss is given as follows:
$\mathrm{E}_{1}=\mathrm{Y}_{3}+\frac{v_{1}^{2}}{2 g}$
$\mathrm{E}_{2}=\mathrm{Y}_{\mathrm{t}}+\frac{v_{4}^{2}}{2 g}$
$\Delta \mathrm{E}=\left(\mathrm{E}_{1}-\mathrm{E}_{2}\right)$
$\Delta \mathrm{E} / \mathrm{E}_{1}=\left(\mathrm{Y}_{3}+\frac{v_{1}^{2}}{2 g}-\mathrm{Y}_{\mathrm{t}}-\frac{v_{1}^{2}}{2 g}\right) /\left(\mathrm{Y}_{3}+\frac{v_{1}^{2}}{2 g}\right)$
From the continuity equation:
$\mathrm{V}_{4}=\frac{v_{4} y_{1} b}{y_{4} B}$
Take $\frac{E_{b}}{b}=\varepsilon, \frac{Y_{4}}{Y_{1}}=Y_{\mathrm{D}}, V_{4}=\frac{V_{1}}{Y_{0} \theta}, \frac{\gamma_{3}}{\gamma_{1}}=S$

Multiply eq 9 by $\frac{v_{1}}{\gamma_{1}}$ to get;

$$
\begin{equation*}
\frac{\Delta B}{E 1}=\frac{2 S+F \eta_{1}^{2}-2 Y-\frac{F r_{1}^{2}}{\gamma z_{r}^{2}}}{25+F \eta_{1}^{2}} \tag{11}
\end{equation*}
$$

$\Delta \mathrm{E} / \mathrm{E}_{1}$ for the baffles from the experiments and those which obtained by solving the momentum equation (1) at different locations are plotted as shown in Fig(10b).


## 7. Conclusions

The current research could be applied to different cases around the world to manage the flow from irrigation canals to agricultural open drains and otherwise. Also, this study manages the high and low water demands by exchanging the water flow between the canals and drains. Experimental and theoretical investigations of a reverse flow in a horizontal canal with an intermediate regulator are used. $\mathrm{Fn}_{1}$, relative baffle heights, and relative baffle widths from the gate are all investigated. Through the present study, it is concluded that:

Fig 10b Experimental versus theoretical $\Delta \mathrm{E} / \mathrm{E}_{1}$.
Fig(10b) shows the relationship between the predicted $\Delta \mathrm{E} / \mathrm{E}_{1}$ computed from equation (12) and the corresponding experimental results. From this figure, there is a good distribution of data around the line of equality. The average percentage error is about $\pm 11.75 \%$. It is shown that about one-quarter of the collected data is above and below the line of percentage error ( $\pm 15 \%$ ). From Fig (4a) and Fig (4b) equations (5 and 12) may be used in the field of application to compute the theoretical $\mathrm{Fn}_{1}$ and the corresponding $\Delta \mathrm{E} / \mathrm{E}_{1}$.

- For all experimental models, $\Delta \mathrm{E} / \mathrm{E}_{1}$ and $\mathrm{Lj} / \mathrm{Y}_{1}$ and depth increase as $\mathrm{Fn}_{1}$ increases.
- All baffles at any location within the experimental data increase $\Delta \mathrm{E} / \mathrm{E}_{1}$ and decrease $\mathrm{Y}_{\mathrm{t}} / \mathrm{Y}_{1}$ and $\mathrm{Lj} / \mathrm{Y}_{1}$.
- All baffles at mid-distance between the gates give the best results which maximize the energy loss.
- The proposed theoretical equations for predicting sequent depth ratio and $\Delta \mathrm{E} / \mathrm{E}_{1}$ are well accepted with measured data.
- It was found that the square baffle gave the best performance for SHJ compared to the other tested shapes.
- Square baffles at the mid-distance of the stilling basin dissipate the extra energy by $22 \%$ and decrease both the $\mathrm{Y}_{\mathrm{T}} / \mathrm{Y}_{1}$ and $\mathrm{Lj} / \mathrm{Y}_{1}$ by $27 \%$ and $13 \%$ respectively.
$\gamma \quad$ Specific Weight of the Water
ds Water Depth at Sudden Expansion
B Expanded Basin Width
b Contracted Basin Width
$\mathrm{W}_{\mathrm{b}} \quad$ Baffle Width
$h_{b} \quad$ Baffle Height
$\mathrm{h}_{\mathrm{bo}} \quad$ The relative baffle height
$\mathrm{V}_{1} \quad$ Average Velocity at Vena Contracta
$\mathrm{V}_{4} \quad$ Average Velocity at Sec 2
$\mathrm{Fn}_{1} \quad$ Inlet Froude Number
$\Delta \mathrm{E} \quad$ Energy Loss of the Jump
$\mathrm{E}_{1} \quad$ Total Energy at $\mathrm{Y}_{1}$
$\Delta \mathrm{E} / \mathrm{E}_{1}$ Relative Energy Loss
SHJ Submerged Hydraulic Jump


## 8. References

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